

# Behavior-Tree-Based Person Search for Symbiotic Autonomous Mobile Robot Tasks

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### Social Service Robots

- Increasing number of applications
- Focus on interaction, rather than manipulation
  - ⇒ Unsolveable situations can occur (doors, lifts)



Figure: Service robots<sup>1</sup>

<sup>&</sup>lt;sup>1</sup>Top to bottom: SPENCER (KLM), SeRoDI (Fraunhofer IPA), Sobi (imes)

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### Symbiotic Autonomy

Recognize individually unsolveable situations and actively involve humans in problem solving

- Little work on proactive search
- Where to search, where to wait?



Figure: Service robots<sup>1</sup>

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# Approach



#### Main Idea

- Utilize Behavior Tree (BT) framework to find people in open spaces
- Synthesize BTs based on a stochastic environmental model of person occurrence

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### Why Behavior Trees?

- + Modularity, reusability
- + Problem definition at task level, avoids tailored cost functions
- + Easily extendable with further steps of the symbiotic procedure

### Behavior Trees



#### Behavior Trees

- Directed rooted tree
- Nodes for control flow and action execution

### Stochastic Behavior Trees<sup>2</sup>

- Convert BT to Discrete Time Markov Chain
- $A_{\text{sbt}}$ :  $(p_{\text{s}}(t), p_{\text{f}}(t), \mu, \nu), C_{\text{sbt}}$ :  $(p_{\text{s}}(t), p_{\text{f}}(t))$
- Success probability:

$$p_{\mathsf{S},\mathsf{T}}(t) = \sum_{i:s_i \in \mathcal{S}_\mathsf{S}} \pi_i(t)$$

Success rate:

$$\mu_{\mathsf{T}} = \operatorname{avg}\left(\frac{\sum_{i=1}^{|\mathcal{S}_{\mathsf{S}}|} u_{i1}^{\mathsf{S}}(\kappa) \log\left(h_{i1}^{\mathsf{S}}(\kappa)\right)}{\sum_{i=1}^{|\mathcal{S}_{\mathsf{S}}|} u_{i1}^{\mathsf{S}}(\kappa)}\right)^{-1}$$

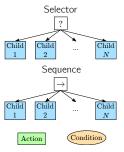


Figure: Notation for different node types

<sup>&</sup>lt;sup>2</sup> Michele Colledanchise et al. "Performance Analysis of Stochastic Behavior Trees". In: IEEE ICRA (2014), pp. 3265–3272.

#### Poisson process

- Model occurrence rate of people  $\lambda$  in an area as Poisson-distributed
- Probability mass:

$$P(N(t) = c) = \frac{(\lambda t)^c}{c!} e^{-\lambda t} \quad \text{with} \quad c = 0, 1, 2, \dots$$

### People occurrence model

- Spatial and temporal dependency on the rate  $\lambda(x,t)$ ,  $x\in\mathbb{R}^d$
- Approximate  $\lambda$  by Grid  $G: \mathbb{R}^{m \times o} \to \mathbb{R}^{\ddagger}$

$$G: \quad \lambda(x,t) \simeq \sum_{i=1} \sum_{j=1} \lambda_{ij\tau} 1_{ij\tau}(x)$$

- Learn each  $\lambda_{ au}$  incrementally via Bayesian inference with prior  $\lambda_{ au} \sim \Gamma\left(\lambda_{ au}; \alpha_{ au}, \beta_{ au}\right)$
- α<sub>τ</sub>,β<sub>τ</sub> depending on robot pose, detection area and number of detected people

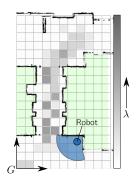


Figure: Schematic illustration of *G* 

<sup>&</sup>lt;sup>‡</sup>Matthias Luber et al. "Place-dependent people tracking". In: The International Journal of Robotics Research 30.3 (2011), pp. 280–293.

### Behavior-Tree-based Person Search



#### Goal

- Find a sequence of actions that maximizes the probability of meeting a person
- ⇒ Where should the robot search, where wait for people?

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### Approach

- Define atomic actions  $W_{A,i} \supseteq A_{sbt}$  and  $S_{A,i \to i} \supseteq A_{sbt}$ 

  - $\mathcal{W}_{A,i}$ : Wait at place  $\mathcal{P}_i$   $\mathcal{S}_{A,i\rightarrow j}$ : Search from place  $\mathcal{P}_i$  to place  $\mathcal{P}_j$
  - Find probabilities to (succeed  $p_s(t)$  / fail  $p_f(t)$ ) and rates to (succeed  $\mu$  / fail  $\nu$ )
- Find best order of search and wait actions

### Wait action definition



#### Probabilistic parameters

Success rate

$$\mu_{\sf W} = \sum_{\mathcal{D}} \lambda_{ij au}$$

- Expected time to fail by specifying a confidence  $p_{\rm s}'$
- Fail probability  $p_{f,w}(t; \mu_w)$  defined piece wise

### Wait action definition



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### Wait action $W_{A,i}$ returns...

- √ success, if person is found
- imes failure, when a maximum time  $(
  u_{
  m w}^{-1})$  has been reached

### Search action definition



• Search Path:  $S_{i \to j}$ :  $(\mathcal{P}_i, \mathcal{P}_j, \mathcal{G}, I, \bar{v})$ ,  $i, j \in \{0, 1, ..., n\}$ ,  $i \neq j$ 

#### Probabilistic parameters

• Success rate time dependent

$$\mu_{\mathsf{sp}}(t) = \sum_{\mathcal{D}(t)} \lambda_{ij au}$$

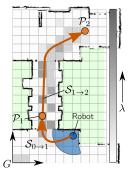


Figure: Illustrative arrangement of search paths

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### Probabilistic parameters

 $\Rightarrow \text{ discretizing the path with } t_k = k \, \Delta t \text{ leads to} \\ \mu_{\text{sp,tot}}^{-1} = \underset{t_k \in [t_0, t_0 + //\bar{v}]}{\arg \min} \left( t_k - \log(1 - \rho_{\text{s}}') \, \mu_{\text{sp}, k}^{-1} \right)$ 

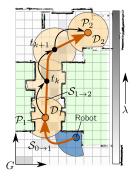


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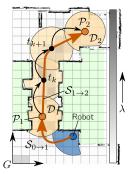


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### Search action $S_{A,i \rightarrow i}$ returns...

- √ success, if person is found
- $\times$  failure, when path was driven without finding anyone or navigation fails

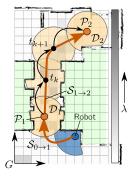


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#### Goa

Find a BT that maximizes the probability of finding a person, taking into account the return time

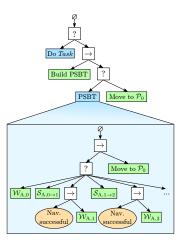


Figure: General form of the PSBT



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Sample n places with probability  $p \propto \lambda_{ij}$ 

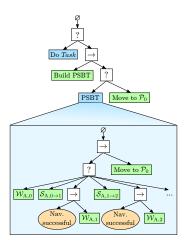


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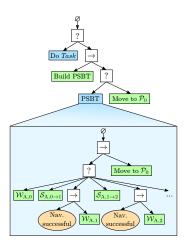


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Find a BT that maximizes the probability of finding a person, taking into account the return time

Sample *n* places with probability  $p \propto \lambda_{ii}$ 

Calculate all actions  $W_{A,i}$  and  $S_{A,i\rightarrow i}$ 

Create and solve OTSP to reduce complexity

Nodes:  $\mathcal{P}_0$  n Costs:  $\nu_{s,i\to i}^{-1}$ 

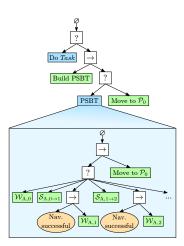


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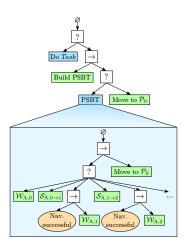


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For each possible combination(wait/not wait, search/not search), solve DTMC with generator matrix  $Q(A_{\text{sbt.sp.}}, A_{\text{sbt.w}})$ 

Choose tree with maximum  $p_{s,T}(t_{max})$ 

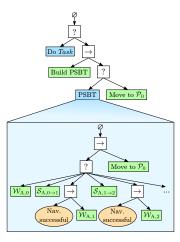


Figure: General form of the PSBT

### **Environment and Training**



### Building

University building with lecture halls, cafeteria, several entrances, sitting areas

#### **Training**



 People tracking for two working days

•  $\sim$  18,000 people

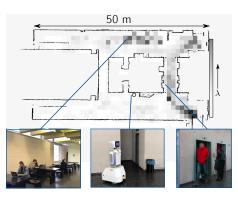


Figure: Environment and learned person occurrence model

## Model-based Evaluation



#### Experimental setup

- Sample 500 random start locations
- Compare expected success rate, based on person occurrence model

### Methods

- PSBT: Proposed method
- GC/GM: Greedy planning to a (close) cell with large λ
- W: Wait at the start location
- RND: Random goal sampling
- NW: Sample like PSBT, but never wait

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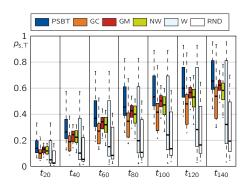


Figure: Probability distribution of the BT root nodes  $p_{s,T}(t_k)$  at seven points in time.

### Real-world experiments



### Experimental setup

- Two start locations, period of five working days
- Online planning and subsequent people search
- $\bar{t}_r$ : Mean time until person found.

### Results

- Total of 588 test runs
- PSBT.
  - Can take longer than greedy methods
  - But: 198 trial runs, 94 % succesful

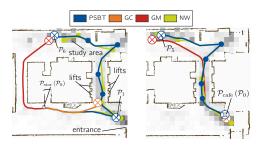


Figure: Exemplary search paths for two different start locations. Crossed circles indicate a waiting location.

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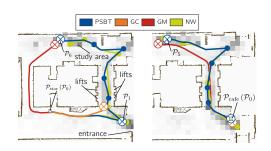


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Table: Results of the experiments in the university building

	Experimental results				Model estimation
Place	Method	Trials	P	$\bar{t}_{ m r}$	$ar{\mu}_{ m r}^{-1}$
$\mathcal{P}_{stor}$	PSBT	86	98.8 %	$120.5 \pm 61.2$	$139.5 \pm 8.7$
	NW	93	88.2 %	$115.4 \pm 52.3$	$150.8 \pm 7.0$
	GM	86	62.8 %	$101.1\pm22.4$	$121.5 \pm 0.0$
	GC	90	65.6 %	$\textbf{89.1} \pm 49.7$	$108.1\pm0.0$
$\mathcal{P}_{cafe}$	PSBT	112	91.1%	$\textbf{35.5} \pm 28.2$	$49.9 \pm 0.0$
	NW	121	90.1 %	$63.0 \pm 48.9$	$126.8 \pm 6.0$

### Summary



- Method for finding people to help problem solving
- Create a Behavior Tree that links wait and search actions
- In 198 trial runs, found people in 94% of all cases

- Allows for online planning
- Expendable by further steps for symbiotic autonomy